

INDIAN SCHOOL DARSAIT DEPARTMENT OF MATHEMATICS



Subject: MATHEMATICS Topic: TRIANGLES Date of Worksheet: 26/08/2019

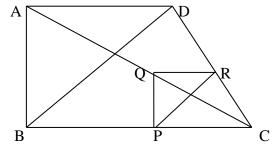
Worksheet No: 6

Resource Person: Mrs. Anu Likson

Name of the Student _____ Class & Division: X...... Roll Number : ___

S.No.	Section A-[Basic skills]			
1.	Find the third angle of triangle ABC whose two angles are 45 ⁰ and 55 ⁰			
2.	If $y^2 = 2025$, find the value of y.			
3.	23.5 x 45.6 =			
4.	3040 ÷ 30 =			
	Section B -[Chapter based questions]	Marks		
1.	In the given figure , in $\triangle ABC$, $DE \parallel BC$, so that $AD = (7x - 4)$ cm , $AE = (5x - 2)$ cm, and $DB = (3x + 4)$ cm and $EC = 3x$ cm. Find the value of x.	2		
2.	In $\triangle ABC$, AD is perpendicular to BC . Prove that i) $AB^2 + CD^2 = AC^2 + BD^2$ ii) $AB^2 - BD^2 = AC^2 - CD^2$	3		
3.	P and Q are points on the sides AB and AC respectively of ΔABC such that	2		
	AP = 3.5 cm, $PB = 7 cm$, $AQ = 3 cm$ and $QC = 6 cm$. If $PQ = 4.5 cm$, find BC.			
4.	In the figure , PQ MN. If $\frac{KP}{PM} = \frac{4}{13}$ and $KN = 20.4$ cm , find KQ P Q M	2		
5.	Let X be any point on the side BC of a triangle ABC. If XM , XN are drawn parallel to BA and CA meeting CA , BA in M , N respectively ; MN meets BC produced in T , prove that $TX^2 = TB \times TC$	3		
6.	Prove that any line parallel to the parallel sides of a trapezium divides the non – parallel sides proportionally.	3		

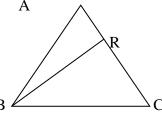
7. In the figure, two triangles ABC and DBC lie on the same side of base BC.P is a point on BC such that PQ || BA and PR || BD. Prove that QR || AD.



SECTION C - [HOT QUESTIONS]

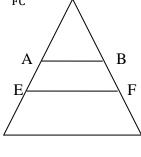
1.	If three or more parallel lines are intersected by two transversals, prove that the	4
	intercepts made by them on the transversals are proportional.	

In the figure, P is the midpoint of BC and Q is the midpoint of AP. If BQ when produced meets AC at R, prove that $RA = \frac{1}{3}CA$



C

3. In the figure if EF || DC || AB , prove that $\frac{AE}{ED} = \frac{BF}{FC}$ P



4. Equilateral triangles are drawn on the sides of a right triangle. Show that the area of the triangle on the hypotenuse is equal to the sum of the areas of triangles on the other two sides.

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